



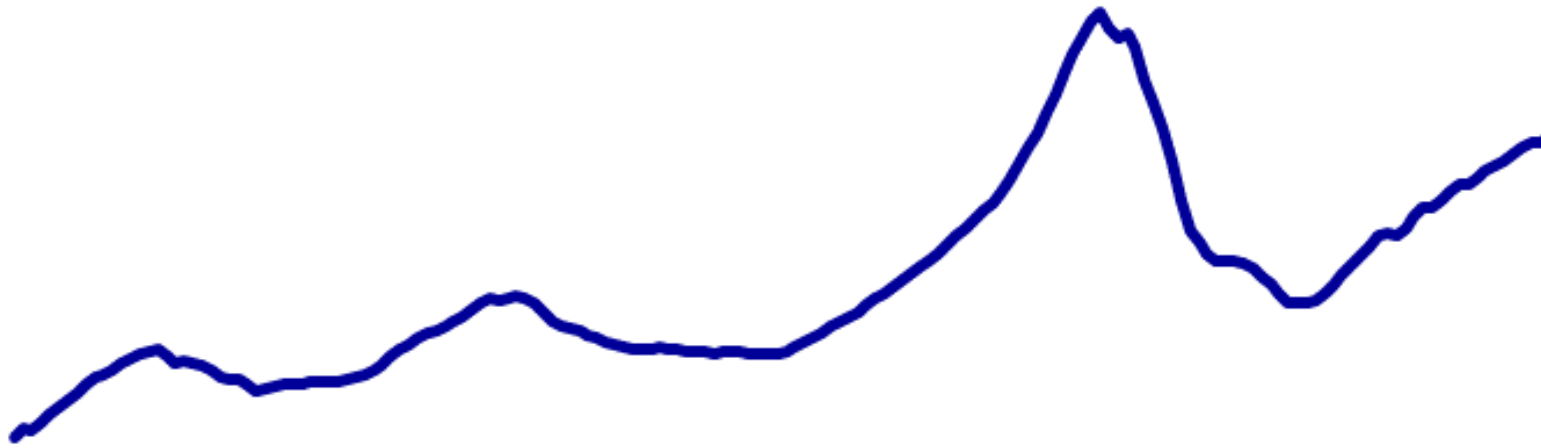
# Analysis of Real Estate Bubbles in Eight Residential Markets

Testing for econometric regime shifts and concordance indicators using fundamental based methods

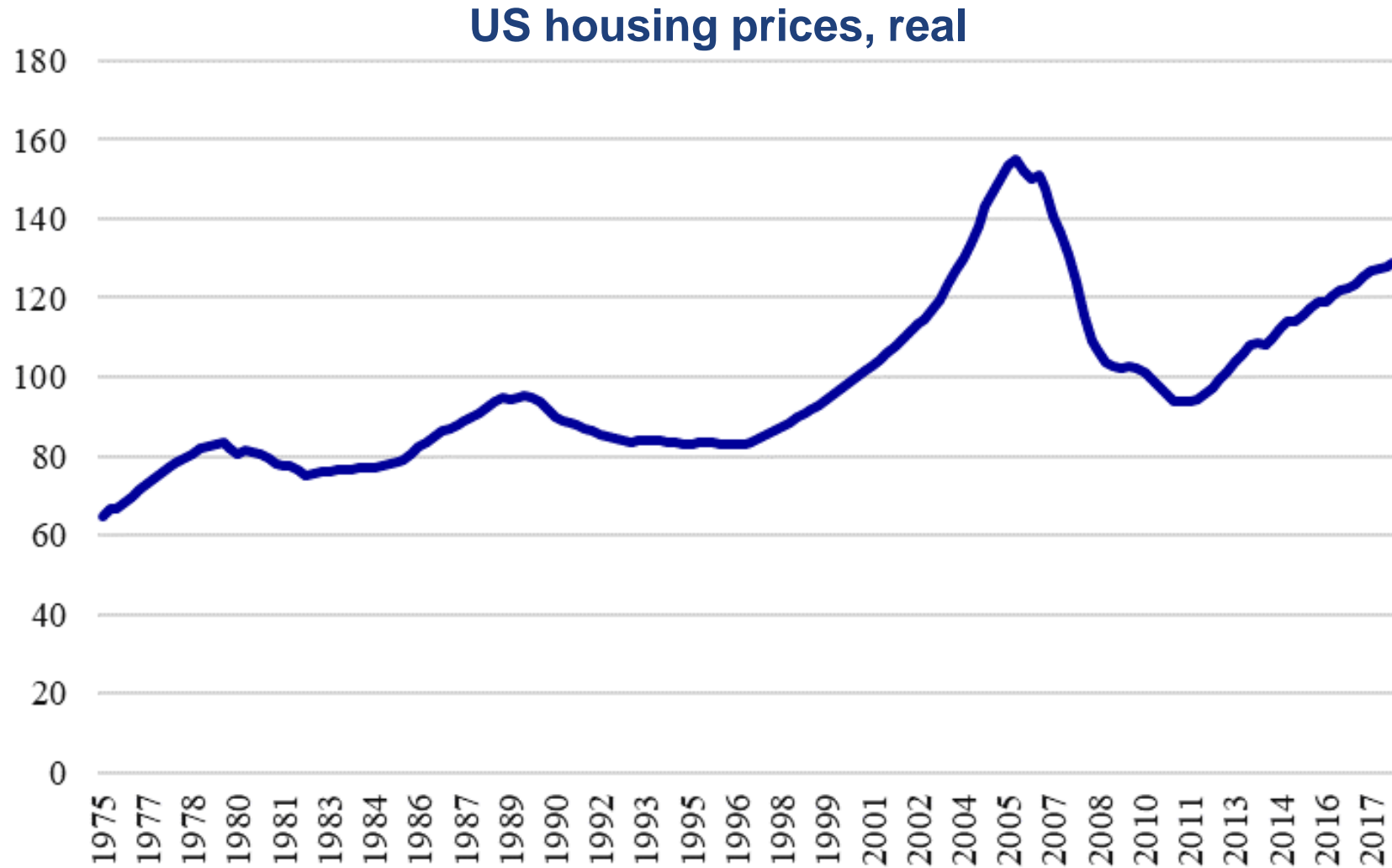
Robert Kuert

Swiss Real Estate Research Congress 29.03.2019

# Research focus



# Research focus



Source: Bank of International Settlements (2019)

# Research questions

- How can we identify a housing price bubble with fundamentals?
- Which (out of eight) countries show such regimes?

# Relevance

## Systemic Risk

- Housing stores
- Private wealth
- Mortgage debt

Price corrections have impacts on...

- Defaults
- Creditor liquidity
- The wider economy (spill-overs)

# Relevance in Switzerland

- **SNB Financial Stability Report (2018)**

[...] has resulted in imbalances on the mortgage and residential real estate markets.

- Mortgage debt at over 1'000 bio. CHF
- Vacancy rates in residential investment properties at high levels

- **Swiss Bankers Association (March 2019)**

[...] considering [more] amendments to self-regulation

# Previous work focused on Error Correction Models

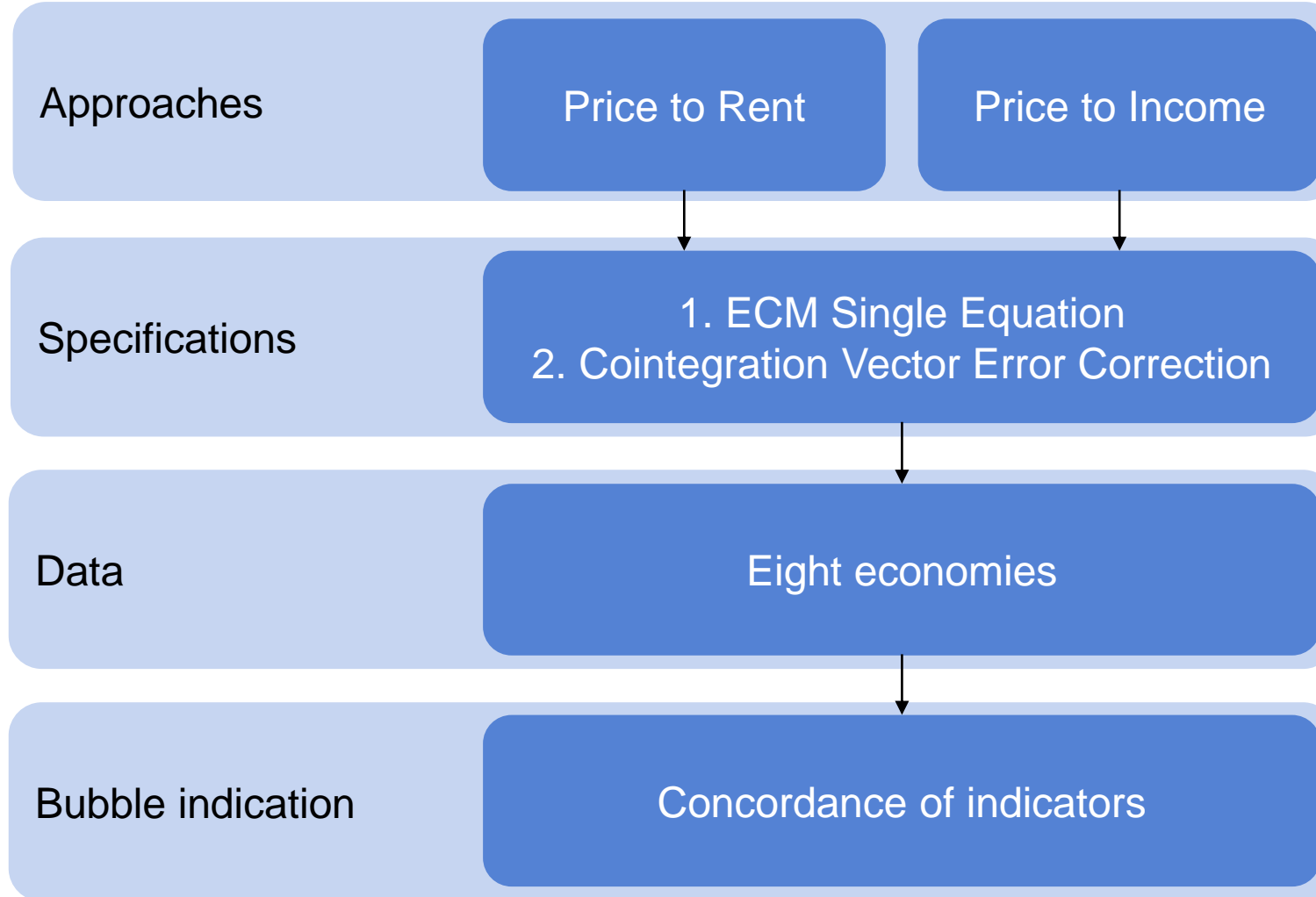
- Review of various **econometric papers** on housing prices in different countries
- Works of Anundsen (2013) found **bubble regime** for the US
- **Not yet used** for other countries
- **Error Correction Models & Cointegration**  
Assuming that prices adjust to a long term equilibrium with fundamentals

# Previous work focused on Error Correction Models



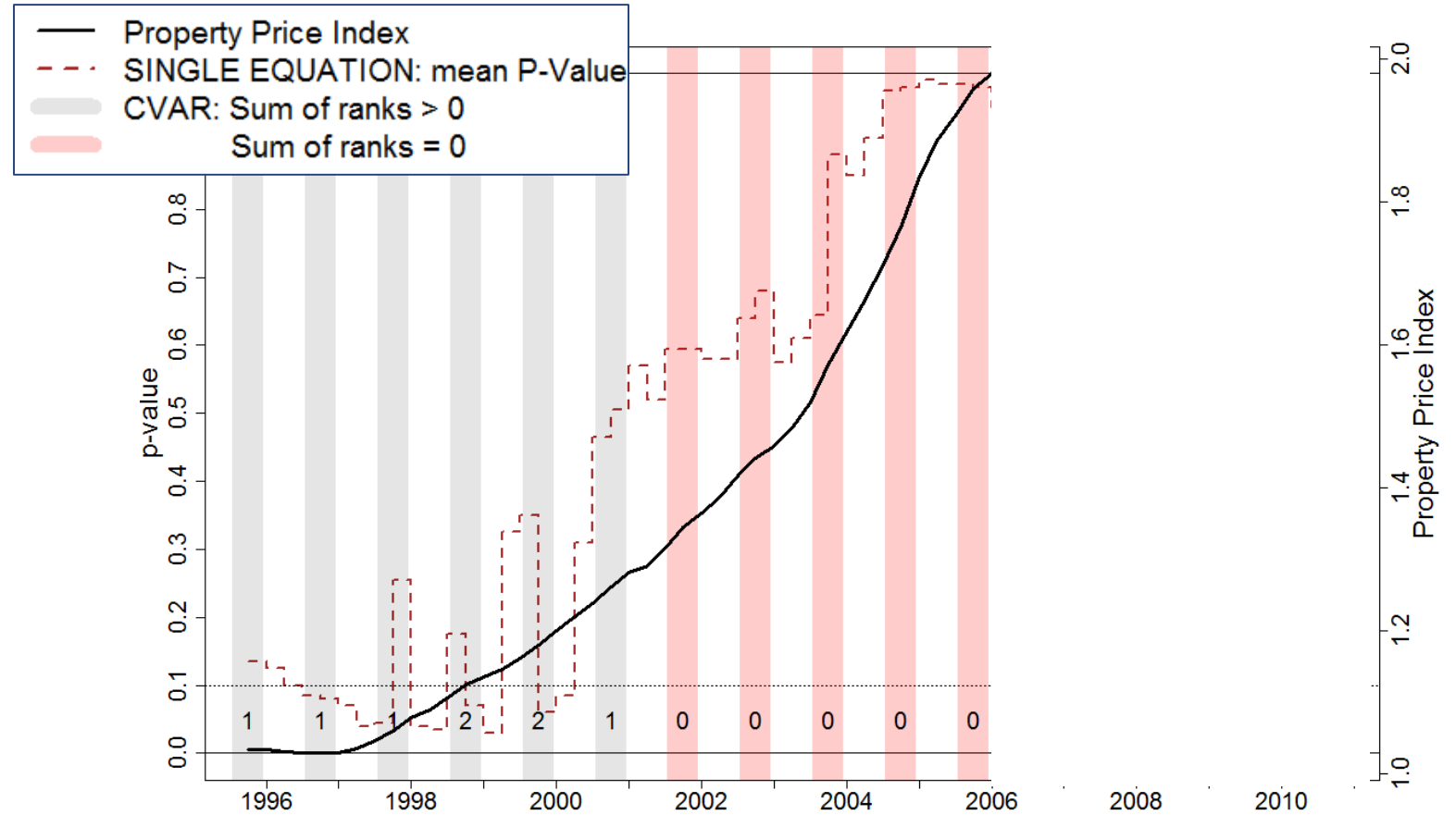


# Methodology



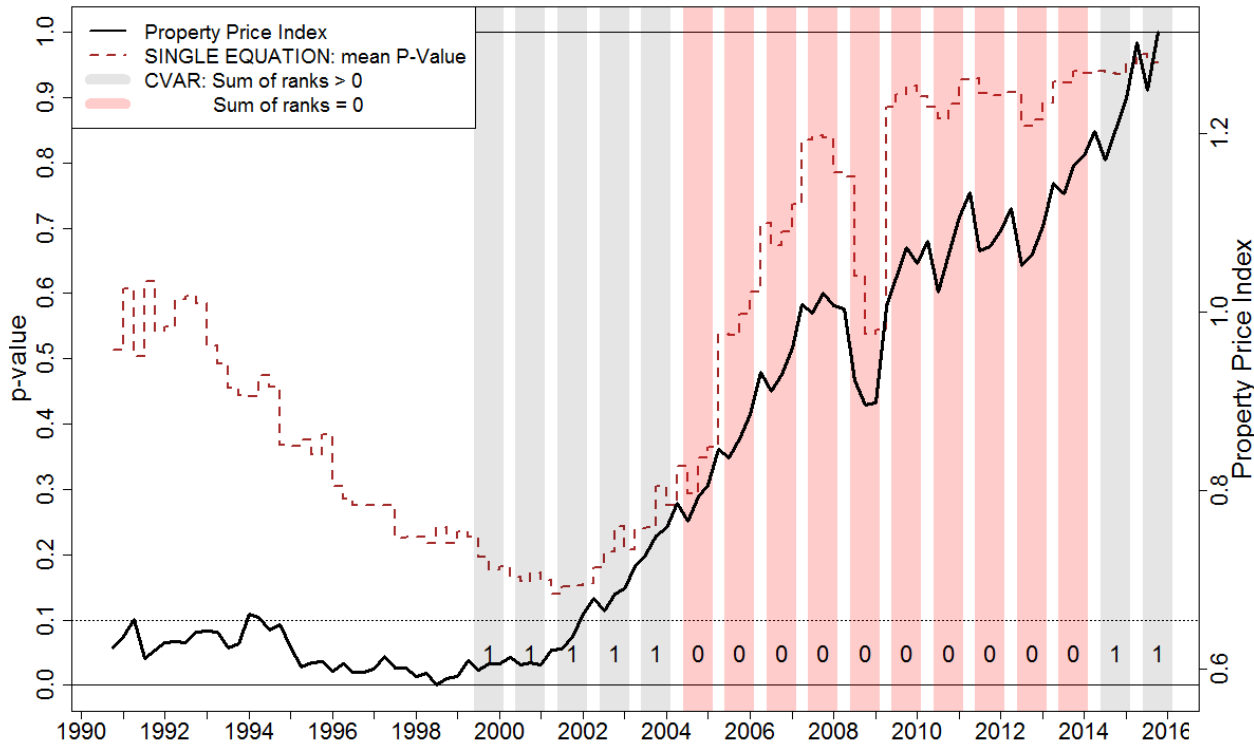
# Results for the US

- Concordant bubble regime between 2002 and 2009

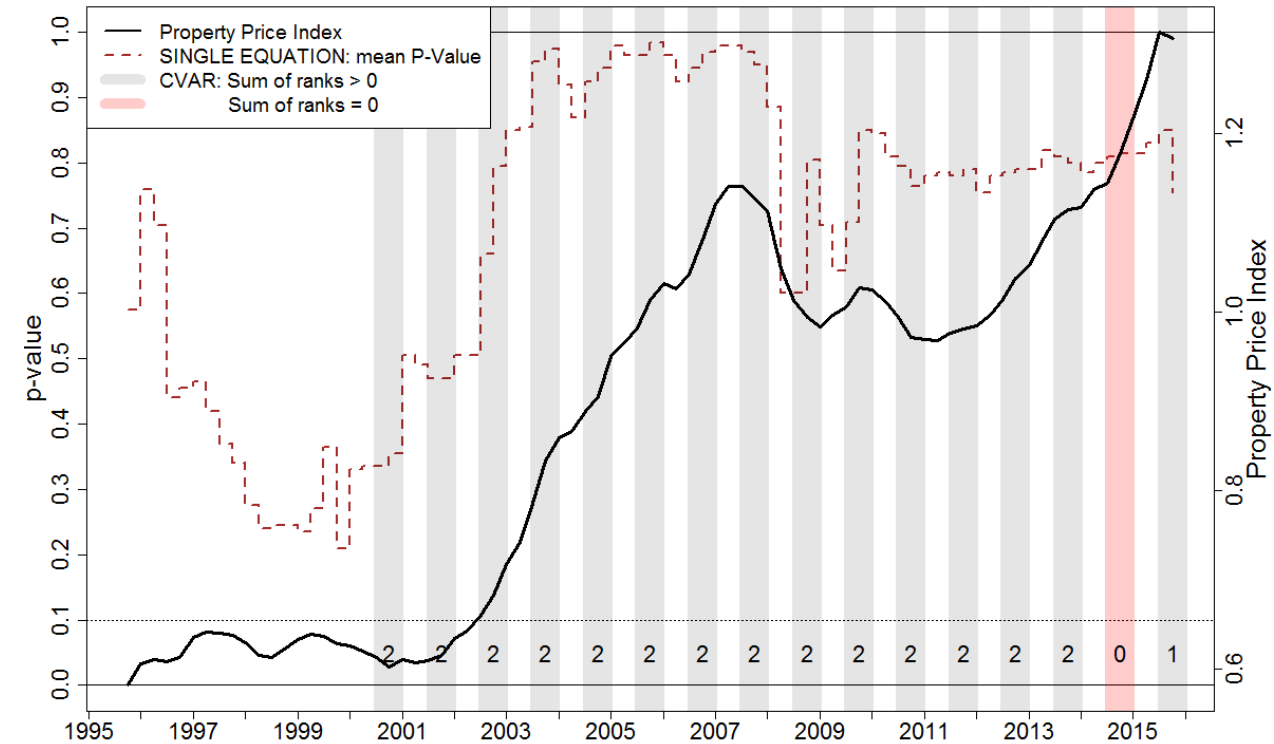


# Signals in Canada and New Zealand

Canada

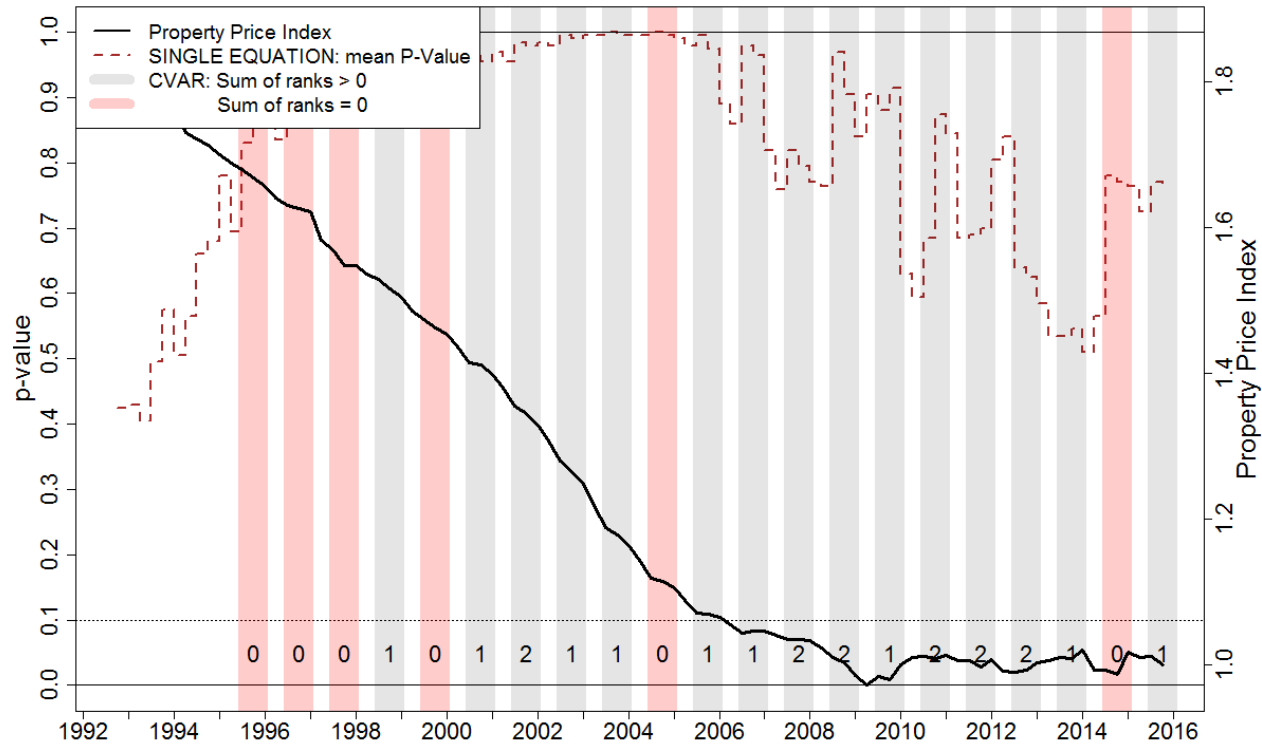


New Zealand

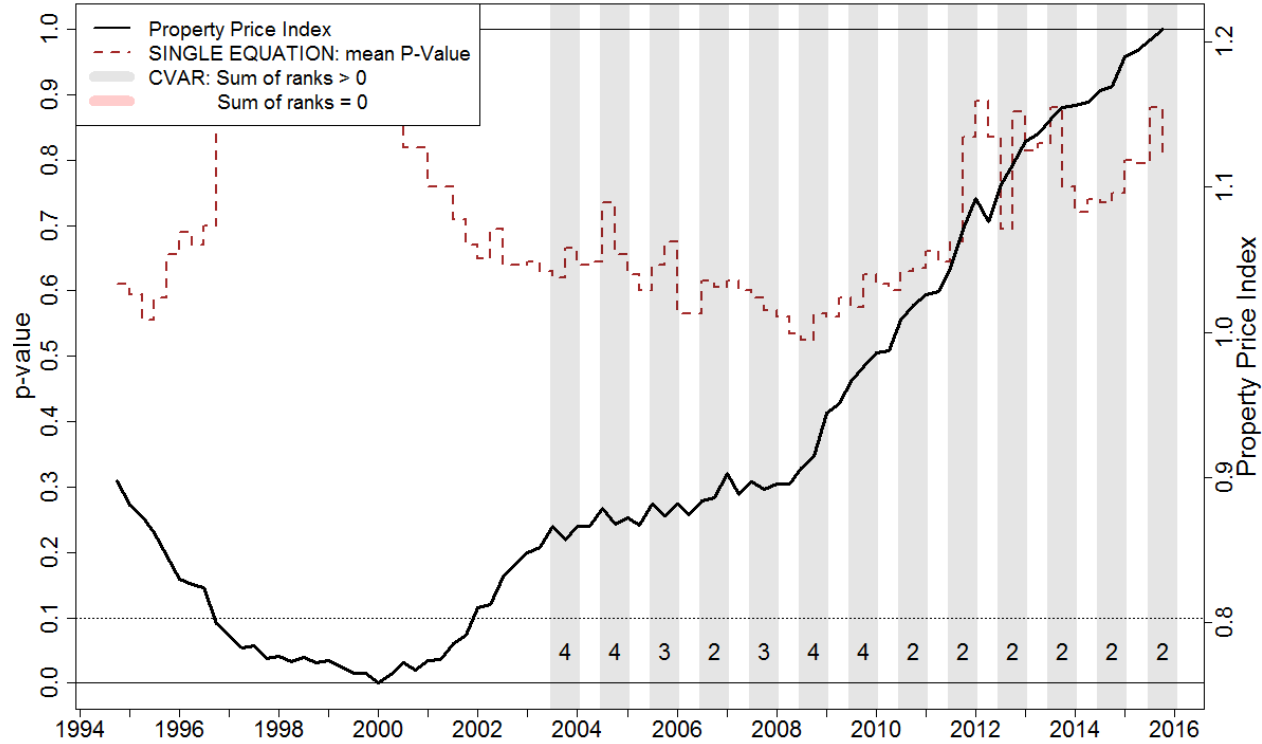


# Japan - a difficult case - and Switzerland

Japan



Switzerland



# Thesis methodology is more conservative than literature

Indications of a bubble regime

	Literature	Thesis
Canada		x
France	x	
Germany		
Japan	x	
Netherlands	x	
New Zealand	x	x
Switzerland	x	
United Kingdom	x	

(Independent of period)

# Takeaway

- **Don't buy a home in Canada or New Zealand**
- **Switzerland's owner occupied sector seems (or seemed) safe**
- **Data has higher impact than model specifications**  
You can not compensate data deficiencies with better model specifications.

# Review

- **Prof. Dr. Maximilian von Ehrlich**  
University of Bern
- Research fellow at the Center for Regional Economic Development (CRED)



---

<sup>b</sup>  
UNIVERSITÄT  
BERN



---

<sup>b</sup>  
UNIVERSITÄT  
BERN

CRED  
CENTER FOR REGIONAL  
ECONOMIC DEVELOPMENT

# Panel discussion



# Contact information and credits

## Author

Robert Kuert

robert.kuert@zkb.ch

Risk Control, Analytics Immobilien

Zürcher Kantonalbank

## Supervision

Prof. Dr. Didier Sornette, Dr. Dorsa Sanadgol and Dr. Diego Ardila

Chair of Entrepreneurial Risks

D-MTEC, ETH Zürich

Scheuchzerstrasse 7, Zürich

© ETH Zurich, September 2016

# Appendix

# A0 Data Description and temporal properties

Variable	Description	Dimension	Deflation	Main Source
PH	Property Price Index	Index	by CPI2	BIS
Pop	Population	[Total residents]		
R	Real housing rent	Index	by CPI2	OECD
Y	Per capita disposable income	[national currency/resident]	by CPI2 and Pop	AMECO
H	Per capita Housing stock	[national currency/resident]	by PJ and Pop	Oxford Economics
CPI1	CPI Less shelter	Index		
CPI2	CPI All items	Index		
UC	User Cost	$(1-\tau_y)(i+\tau_p) - \pi + \delta$		
$\delta$	Housing depreciation rate	[%] of property value		
$\tau_p$	Property tax rate	[%] of property value		OECD
$\tau_y$	Average income tax rate	[%] of marginal income		OECD
$\pi$	Inflation rate	[%] Annual rate		
$i$	Mortgage interest rate	[%] Annual rate		

- **No** seasonal adjustment
- **User cost** is constructed out of the following rates collected per country and if necessary, aggregated: depreciation, property tax, income tax, mortgage interest, and inflation. Deflators are the consumer price index (CPI), once without housing components (CPI1), for deflating PH, R and Y, once measured for all items in order to account for the inflation in the user cost (CPI2).
- Additionally, the value of the housing stock is deflated by an appropriate metric, depending on the measure used for the stock (PJ). st (UC).

# A1 Single Equation Methodology Price-to-Rent

$$\Delta ph_t = \mu + \alpha_{ph} (ph - \gamma_r r - \gamma_{UC} UC)_{t-1}$$

$$+ \sum_{i=1}^p \rho_{ph,i} \Delta ph_{t-i} + \sum_{i=0}^p \rho_{r,i} \Delta r_{t-i} + \sum_{i=0}^p \rho_{UC,i} \Delta UC_{t-i} + \sum_{l=1}^3 \lambda_{d,l} d_l + \varepsilon_t$$

$$H_0: \alpha_{ph} = 0$$

*(indicating no cointegration)*

$$H_A: \alpha_{ph} \neq 0$$

*(indicating cointegration)*

whereas  $ph - \gamma_r r - \gamma_{uc} UC$  is called the error correction term. Furthermore, lagged differences with up to  $p$  lags as well as seasonal dummies,  $d_l$ , are introduced for the quarters  $l=1,2,3$  while the 4<sup>th</sup> quarter seasonal effect is captured by  $\mu$ . Note that the error correction term accounts for

## A2 VECM & CVAR Methodology Price-to-Rent

$$\Delta \mathbf{y}_t = \Pi \mathbf{y}_{t-1} + \sum_{i=1}^{p-1} \Gamma_i \Delta \mathbf{y}_{t-1} + \Phi D_t + \varepsilon_t$$

Here,  $\mathbf{y}_t$  is a  $k \times 1$  vector of the endogenous variables,  $\Phi$  being a  $k \times d$  matrix of coefficients and  $D_t$  is a vector of  $d$  constants, including centered seasonal dummies and the intercept.

Since there are several possible deterministic trends, they are included in  $\Pi$ . Now  $\Pi \mathbf{y}_{t-1}$  is the error correction term and the error is given by  $\varepsilon_t \sim IN(\mu=0, \sigma=\Omega)$ , with  $\Omega$  being diagonal. In detail  $\Pi$  and  $\Gamma_i$  are defined as follows

## A3 Log Periodic Power Law Fit (independent of fundamentals)

$$ph_t = A + B(t_c - t)^m + C(t_c - t)^m \cos[\omega \ln(t_c - t) - \phi] \quad [18]$$

where  $\omega$  is the log frequency and  $\phi$  is a phase constant. Hence the bubble indicator is a detected faster-than-exponential growth of  $PH_t$ , (in levels) possibly extended by log periodic oscillations<sup>10</sup>.

## A4 Concordance Indicator

$$I_K = \frac{1}{T} \left[ \sum_{t=1}^T S_{x,t} S_{y,t} + \sum_{t=1}^T (1 - S_{x,t})(1 - S_{y,t}) \right] \quad \forall K$$

$$i_S = \begin{cases} 1 & \text{Total concordance or } \rho_S = 1 \\ (0,1) & \\ 0 & \text{No concordance or } \rho_S = -1 \end{cases}$$

The set  $K$  can either consist of the countries, whereas  $x$  and  $y$  would correspond to the approaches, or  $K$  denotes the approaches and  $x$  and  $y$  are the countries respectively. In this study, both cases are of interest. The concordance indicator  $I_K$  first calculated for all possible combi-

# A5 Results Cross-Country Concordance

	CAN	CH	FRA	GER	JAP	NL	NZ	UK
CAN	1.00	0.36	0.50	0.54	0.68	0.52	0.59	0.41
CH	0.36	1.00	0.77	0.61	0.54	0.57	0.66	0.71
FRA	0.50	0.77	1.00	0.62	0.62	0.69	0.76	0.91
GER	0.54	0.61	0.62	1.00	0.69	0.71	0.80	0.62
JAP	0.68	0.54	0.62	0.69	1.00	0.55	0.69	0.54
NL	0.52	0.57	0.69	0.71	0.55	1.00	0.72	0.66
NZ	0.59	0.66	0.76	0.80	0.69	0.72	1.00	0.75
UK	0.41	0.71	0.91	0.62	0.54	0.66	0.75	1.00



# A6 Results Cross-Model Concordance (only Canada)

Table 14 Concordance matrix for Canada

	<b>cvar invd noT</b>	<b>cvar invd</b>	<b>cvar ptor noT</b>	<b>cvar ptor</b>	<b>sing ptor</b>	<b>sing invd</b>	<b>LPPLs</b>	<b>PL</b>
<b>cvar invd noT</b>	1.00	0.56	1.00	1.00	1.00	0.83	0.67	0.67
<b>cvar invd</b>	0.56	1.00	0.56	0.56	0.56	0.39	0.44	0.33
<b>cvar ptor noT</b>	1.00	0.56	1.00	1.00	1.00	0.83	0.67	0.67
<b>cvar ptor</b>	1.00	0.56	1.00	1.00	1.00	0.83	0.67	0.67
<b>sing ptor</b>	1.00	0.56	1.00	1.00	1.00	0.83	0.67	0.67
<b>sing invd</b>	0.83	0.39	0.83	0.83	0.83	1.00	0.72	0.83
<b>LPPLs</b>	0.67	0.44	0.67	0.67	0.67	0.72	1.00	0.89
<b>PL</b>	0.67	0.33	0.67	0.67	0.67	0.83	0.89	1.00

This table reports the concordance indices (see [ 21]), a measure of coincidence for bubble cycles, specification wise for the recursive estimations of Canada. CVAR refers to equation [ 12] for *ptor* and [ 15], for *invdem*, whereas *sing* represents the single equation specification, [ 7] and [ 11] respectively. *noT* indicates, that no Trend is included in the equation specification. *PL* represents the power law fit after [ 18] and *LPPLs* is log periodic power law fit following [ 19]. A 0 indicates no synchronization, a 1.00 represents synchronization over the total overlapping sample.